

1. Convert to radians. a) using π and fraction b) to three decimals

② a) 400°
 $\frac{400 \times \pi}{180} = \frac{400\pi}{180}$
 $= \frac{20\pi}{9}$ or 6.981 radians

b) 228°
 $\frac{228 \times \pi}{180}$
 $= \frac{228\pi}{180}$
 $= \frac{19\pi}{15}$ or 3.979 radians

2. Convert to degrees. One decimal.

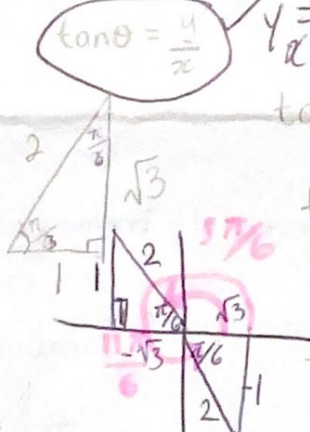
② a) $\frac{-7\pi}{10}$ rad
 $\frac{-7\pi}{10} \times \frac{180}{\pi} = -126^\circ$

b) 5.5 rad
 $5.5 \times \frac{180}{\pi} = \frac{990}{\pi}$
 $= 315.1^\circ$

3. For $\tan \theta = \frac{-1}{\sqrt{3}}$, find θ in radians in fractional, radical form, if $0 \leq \theta \leq 2\pi$.

Use special triangles. Complete a sketch. No decimals- fraction(s) with π .

④



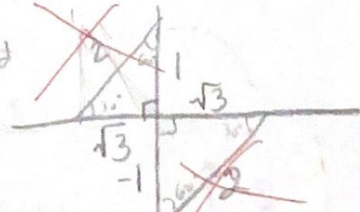
$\tan \theta = \frac{y}{x} = \frac{-1}{\sqrt{3}}$ or $y = -1$ or $x = -\sqrt{3}$
 $\tan^{-1} \theta = \frac{-1}{\sqrt{3}}$

$\theta = \frac{\pi}{3} - \frac{\pi}{3}$
 $\tan \frac{\pi}{3} = \frac{1}{\sqrt{3}}$

- can only find exact values with special Δ , ex. if $\frac{5}{13}$ you cannot use Δ , use calculator

~~$\theta = 0.5773502691$ rad~~

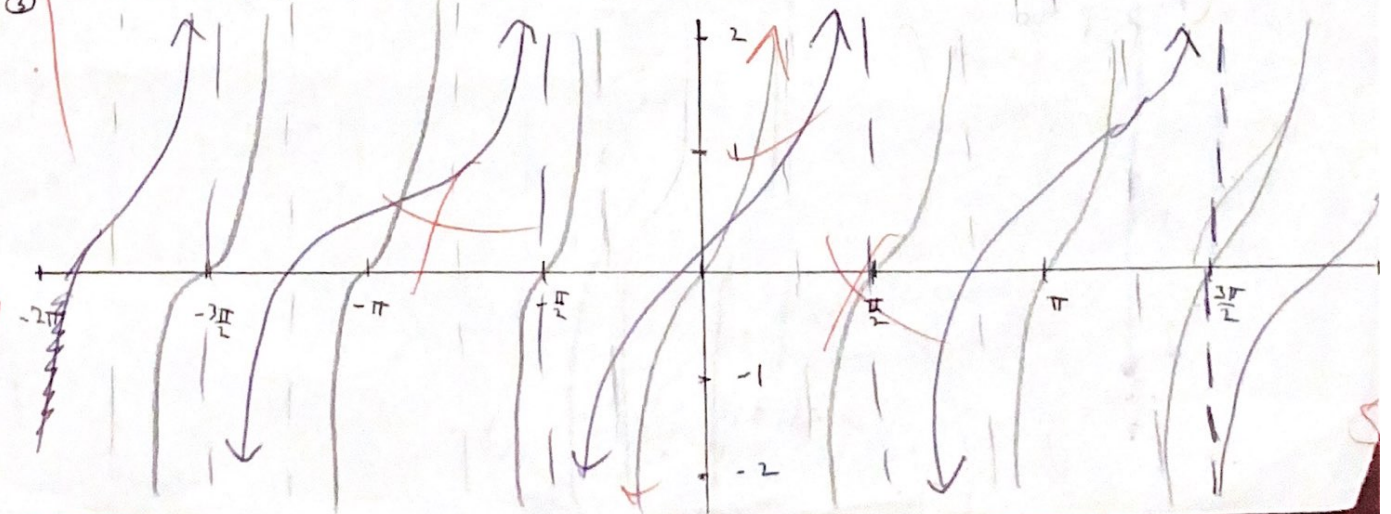
$\theta = \frac{5\pi}{6}, \frac{11\pi}{6}$



tan is - in qu 2 or 4

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4. Sketch a graph of $y = \tan \theta$ and on the grid below.



5. The graph of $y = \cos x$ is transformed by vertically stretching it by a factor of 4.5, reflecting it in the x-axis, having a period of $\frac{1}{5}$, phase shift $\frac{\pi}{9}$ to the left, and vertically translating it 7 units down. Write the equation of the resulting graph.

$\frac{1}{5} = \frac{2\pi}{T}$
 $T = \frac{2\pi}{1/5} = 10\pi$

$y = \cos x$
 Vertical stretch $(a) = 4.5$
 reflection in x (-4.5)
 Period = divided by 10

left $\frac{\pi}{9}$, vertically down 7

$$y = -4.5 \cos(10\pi(x + \frac{\pi}{9})) - 7$$

6. Graph the following equation on the grid given. Set up appropriate scales and show all transformations. $\{0 \leq \theta \leq 2\pi\}$

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$$y = 6 \sin(2\theta + \frac{\pi}{4}) + 10$$

$a = 6$

$$y = 6 \sin(2(\theta + \frac{\pi}{4})) + 10$$

period = π
 $a = 6$

new y-axis ~~at~~ $a = -\frac{\pi}{4}$ (moved left from $y=0$)

